

Crystalline modelling of deformation and recrystallization of an Udimet 720 superalloy during high temperature forging

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Material supplied by Aubert & Duval who cofinance this study with Ecole Centrale Paris





Outline

Context of the study

I°) The material

II°) The deformation model « Cristalecp »

III°) The recrystallization model « Reclpces »

IV°) The sequential coupling



Context of the study

Improvement of performances and energy efficiency of aircraft engines

Materials with very high mechanicals properties



Nickel base superalloy obtained by forging

Udimet 720 : Superalloy with remarkable mechanical properties at high temperature (Re > 1000 MPa at 800°C, low creep...)

Material of replacement of the well known Waspaloy and Inconel 718 for the manufacturing of turbine discs



Material

The Udimet 720 belongs to the family of superalloys hardened by γ ' phase (Ni₃[Ti,Al]) such as the Waspaloy

> The strength improvement results in the addition of alloying elements

Alliage	Ni	Cr	Со	Ti	AI	Мо	W	С	В	Zr	percentage in mass
Waspaloy	base	19	13.5	3	1.4	4.2	-	0.04	0.006	0.06	
Udimet 720	base	16	15	5	2.5	3	1.25	0.035	0.035	0.035	

The volume fraction of γ ' phase reaches 43% instead of 30% for Waspaloy

- > This strength improvement reduces inevitably ductility
 - Sub-solvus forging required
 - Two-phase microstructural evolution during forging

Context of the study Material Deformation model Recrystallization model Sequential coupling

Material

Two phases microstructure :

- γ matrix (FCC)
- γ ' hardening phase (SC)

Hypothesis: At 1100°C, secondary and tertiary γ ' are solved



Primary γ' Secondary and tertiary γ'

Aims of the work

>>> Development of a numerical model to reproduce dynamic recrystallization

→ Prediction of the microstructural evolution during forging

Deformation model : « Cristal_ECP »

Cristal_ECP : Crystalline plasticity model implemented in Abaqus[®] code

Large transformation : - F=A.P where P plastic contribution

- $A = (1+\epsilon)$. R elastic contribution

- > Small elastic distortion ($|\epsilon| << 1$) but large rotation R
- Deformation mechanism : glide and recovery

> Modelling on 3D aggregate with real microstructure obtained from EBSD

In each element of the meshing: - Crystalline orientation (Euler angles)



- Viscoplastic law
- 12 slip systems {111}<110> for γ matrix
- 6 slip systems $\{100\} < 110 >$ for γ ' precipitates
- Initial dislocation density

>>> Interaction between neighboring grains and phases are taken into account

Context of the study Material Recrystallization model **Deformation model** Sequential coupling

Constitutive laws

 \succ Schmid law on each slip system (s), in each element of the mesh

 $|\tau^s| = \tau_c^s$ et $\dot{\tau}^s = \dot{\tau}_c^s$

> Viscoplastic law

$$\begin{cases} \dot{\gamma}^{s} = \left| \frac{\tau^{s}}{\tau_{c}^{s}} \right|^{n-1} \left(\frac{\tau^{s}}{\tau_{c}^{s}} \right) sgn(\tau^{s}) if |\tau^{s}| \ge \tau_{c}^{s} \\ \dot{\gamma}^{s} = 0 \text{ otherwise} \end{cases}$$

$$\tau_c^s = \tau_0 + \mu b \sqrt{\sum_u a^{su} \rho^u}$$
 Critical shear stress

> Hardening law

$$\dot{\tau}_c^s = \sum_u h^{su} \left| \dot{\gamma}^u \right|$$

> Hardening matrix

$$h^{su} = \frac{\mu}{2} \frac{a^{su}}{\sqrt{\sum_{t} a^{st} \rho^{t}}} \left(\frac{1}{L^{u}} - g_{c} \rho^{u} \right)$$



Dislocation density evolution law

$$\dot{\rho}^{s} = \frac{\left|\dot{\gamma}^{s}\right|}{b} \left(\frac{1}{L^{s}} - g_{c}\rho^{s}\right)$$

The dislocation density is the state variable in the modelling

Material parameters determined by compression tests performed at several strain rate and temperature



Meshing & aggregate

> The meshing is performed from EBSD measurement

- Aggregate composed by 5 similar layers
- Element size given by EBSD step $(0.6 \ \mu m)$

Matrix Precipitates

• EBSD map extruded in order to give a thickness of 2 μm

> Two-phases aggregate

- 165 * 165 * 5 elements (C3D8R)
- Forging boundary conditions





Deformation results

> 10% of deformation at 1100°C with $\dot{\varepsilon} = 0.01 s^{-1}$



- Hardening voluntarily overestimated
- Creation of sub-boundaries
- Formation of intragranular misorientations (grain 1)
- Heterogeneous dislocation density after deformation



The recrystallization model « Rec_LPCES »

Model of recrystallization

- Nucleation-growth approach
- Model based on the cellular automaton method
 - Use of hexagonal meshing (6 neighbors for one site)



Input parameters given by Cristal_ECP for each site :

- New crystalline orientation
- Stored energy: calculated from dislocation density $E_{stored} = \frac{1}{2} \mu b^2 \rho$
- Number to identify phase

Constitutive laws

Nucleation

- Nucleation if $E_{stored} > E_{limit}$
- Nuclei are near the grain boundaries
- After nucleation E_{stored} =0 and crystalline orientation remains the same
- Growth: possible for recrystallized grains



Mobility of grain boundaries	Driving force
$M^{SS'} = M_m \left[1 - \exp\left(-\left(\frac{\theta^{SS'}}{10}\right)^3\right) \right]$	$V = -M\Delta E$ $\Delta E = E_{stored} + \gamma \text{ where } \qquad $
Recrystallized site - $E_{stored} = 0$ - Orientation 1	Deformed site - $E_{\text{stored}} \neq 0$ - Orientation 2 ΔE Recrystallized site - $E_{\text{stored}} = 0$ - Orientation 1 Recrystallized site - $E_{\text{stored}} = 0$ - Orientation 1
Probability of reorientation	$P^{SS'} = \frac{d}{d_0} = \frac{-M^{SS'} \Delta E t_{inc}}{d_0} $ If P ^{ss'} > critical value \Rightarrow réorientation
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- Growth of grains (grain 2)
- Grains with sub-structure deformation (grain 3)

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99 µm

dislocation density (mm⁻²)



Sequential coupling to simulate dynamic recrystallization

Sequential coupling of the models « Cristal_ECP » and « Rec_LPCES »

- Applied to an aggregate :
 - **T**
 - To follow the macroscopic stress variation
 - → To study the microstructural evolution







Initial microstructure Deformed microstructure

Afterwards, to limit computation time the aggregate is made up of 5 layers where the sequential coupling is applied only to the intermediate layer



Recrystallized microstructure



 $\epsilon + recrystallization$

 ε + recrystallization + ε

- Creation of intragranular misorientation during the first deformation
- Growth of grains and annihilation of sub-boundaries during recrystallization
- Increase of the misorientatrion of some sub-boundaries and evolution of the crystallographic orientation of some grains (grain 4) during the second deformation
- Evolution of dislocation densities during sequential coupling



> After two cycles



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> After two cycles



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Conclusion

- Development of an original simulation procedure for **dynamic recrystallization** on a two-phase material
- Prediction of stress evolution, microstructure, texture, dislocation density, stored energy ...

Prospects

- Improvement of the deformation model for high temperatures
- Introduction of various recrystallization mechanisms identified during experimental analyzes (apparently DDRX for Udimet 720)
- Adjustment of the parameters to obtain a simulated stress-strain curve nearest of the experimental curve

Thank you for your attention !



Sequential coupling of the models « Cristal_ECP » and « Rec_LPCES »



Input

- Layers at state 0
- Layer at state 2
- Layers at state 0



2nd Deformation

output

- Layers at state 1Layer at state 3
- Layers at state 1

Deformed state : state 3

- Crystallographic orientation at state 3
- Increase of ρ
- $\bullet \, \rho$ heterogeneous in the layer